

4.1.1 / 4.1.2

Notes



# Basic Definitions

- ◆ Central angle:
- ◆ Degree:
- ◆ Minutes:
- ◆ Seconds:
- ◆ Course / bearing:
- ◆ Line of travel:
- ◆ Radian:



# DMS Conversion

Degree ( $^{\circ}$ ) minute ( $'$ ) second ( $''$ )

1 minute =  $1/60$  of a degree; 1 second =  $1/(60*60)$  of a degree

Convert  $48.125^{\circ}$  to DMS

Convert  $124^{\circ}56'12''$  to degrees



# Radian Conversions

To convert from radians (rad) to degrees ( $^{\circ}$ ), multiply the radian value by

To convert from degrees ( $^{\circ}$ ) to radians (rad), multiply the degree value by



◆ How many radians is  $305^\circ$ ?

◆ How many degrees is  $7\pi/3$ ?



# Arc Length

- ◆ Since a central angle of 1 radian always intercepts an arc of one radius in length, it follows that a central angles of  $\theta$  radians in a circle of radius  $r$  intercepts an arc of length  $\theta r$ .
- ◆ Arc length formula (radian measure):



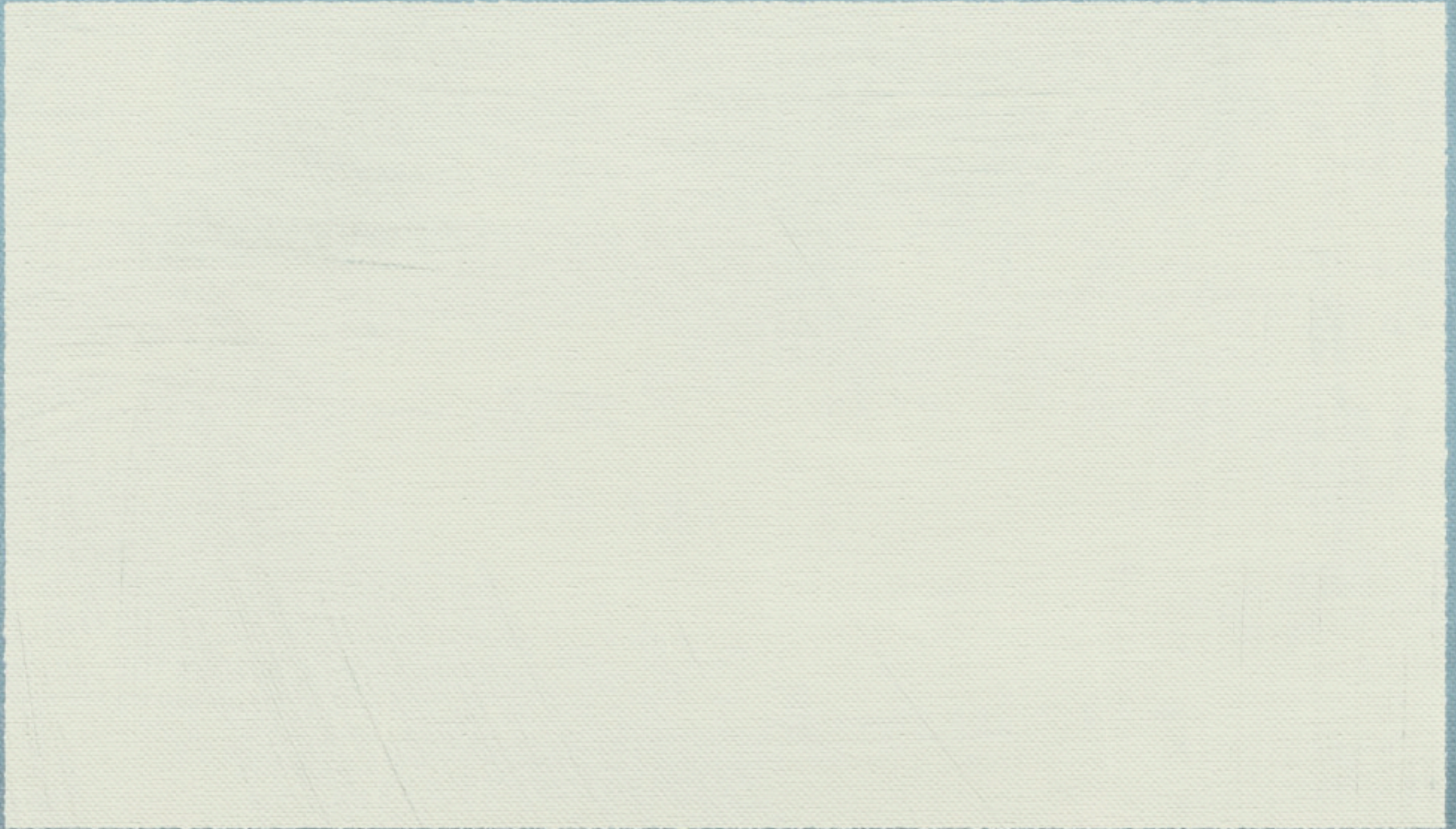
# Arc Length

◆ Arc length formula (degree measure):

Find the perimeter of a slice of apple pie, given the diameter of the pie is 9" and there are 8 slices of pie.



# Work Through Example 4 (pg. 323)





# Angular and linear motion

- ◆ Angular speed is measured in units like *revolutions per minute*
- ◆ Linear speed is measured in units like *mph, fps, etc.*
- ◆ Based on conversion factors (like radians to degrees or degrees to DMS)



# Problem

- ◆ Tonie's truck has 42" Mickey Thompson tires. If the wheels are rotating at 630 rpm, what is her truck's mph?



# Problem 2

- ◆ Cary races BMX. His wheels have a 13" radius. When he is traveling at a speed of 37 ft/sec, how many revolutions per minute are the wheels making?